

(a) (i) 2-Sample t-interval (note: always state clearly what inference procedure you are performing like this)

2) Conditions

- ✓ • SRS? The problem states this is a "random sample" of patients.
- ✓ • $n < 10\% \text{ pop}$? $150 < 10\% \text{ of all heart-attack patients}$ (we can assume samples are independent)
- ✓ • groups are indep? These are separate patients, assume no connections b/w patients
- ✓ • Samples nearly normal? with $n=77$ and $n=73$ we can assume both samples are nearly normal based on the large sample sizes.

3) perform a 2-SampTInt in a Ti-84 using

$$\begin{array}{lll} \bar{x}_1 = 6.04 & \bar{x}_2 = 8.30 & \alpha\text{-level} = .99 \\ Sx_1 = 4.30 & Sx_2 = 5.16 & (\text{non-pooled}) \\ n_1 = 77 & n_2 = 73 & \end{array}$$

result: $(-4.291, - .2291)$ equivalent to $(.2291, 4.291)$
 ambulance - Self Self-ambulance

4) We are 99% confident that people who self transport w/heart attack symptoms wait between .2291 and 4.291 minutes longer to begin receiving treatment than patients transported by ambulance, on average
 (note: include difference, direction, & mean or on average)

1) organize
 your work (work from top down, step-by-step)

(b) μ_A = mean wait-times for ambulance transported patients
 μ_S = mean wait-times for self transported patient

$$H_0: \mu_A = \mu_S$$

$$H_a: \mu_A \neq \mu_S$$

Because 0 is not within our 99% confidence interval,

with $\alpha=.01$ we reject H_0 .

We do have sufficient statistical evidence to conclude that the difference in mean wait-times is statistically significant.